

WESTERN SYDNEY
UNIVERSITY



Module 3

Creating Arrays

Variables as Arrays

In MATLAB, a **variable** is stored as an array of numbers. When appropriate, it is interpreted as a **scalar**, **vector** or **matrix**.

scalar

1×1

vector

$n \times 1$ or $1 \times n$

matrix

$n \times m$

The size of an array is specified by the number of rows and the number of columns in the array, with the number of rows indicated first.

Defining (or assigning) arrays

- An **array** can be defined by typing in a list of numbers enclosed in **square brackets**:
 - **Commas** or **spaces** separate numbers.

```
A = [12, 18, -3]    or    A = [12 18 -3]
A =
    12    18    -3
```

- **Semicolons** indicate a new row.

```
B = [2, 5, 2; 1 , 1, 2; 0, -2, 6]
B =
    2    5    2
    1    1    2
    0   -2    6
```

Scalars

- **Scalars** are 1×1 arrays.
- They contain a single value, for example:

```
r = 6  
height = 5.3  
width = 9.07
```

Scalars

- Important scalars to know:

Symbol or name	MATLAB command
π	pi
Euler's number e	exp(1)
infinity	inf
imaginary numbers	i or j

Vectors

- A **vector** is a list of numbers expressed as a 1 dimensional array.
- A vector can be $n \times 1$ or $1 \times n$.
- Columns are separated by **commas (or spaces)**:

$$\mathbf{h} = [1, 2, 3]$$

- Rows are separated by **semicolons**:

$$\mathbf{v} = [1; 2; 3]$$

Matrices

- A **matrix** is a two dimensional array of numbers.

- For example, this is a 4×3 matrix: 

	Columns		
	1	2	3
1	3.0	1.8	3.6
2	4.6	-2.0	21.3
3	0.0	-6.1	12.8
4	2.3	0.3	-6.1

```
m = [3.0, 1.8, 3.6; 4.6, -2.0, 21.3; 0.0, -6.1, 12.8; 2.3, 0.3, -6.1]
```

Exercise

- Enter the following into MATLAB:

- Scalar:

```
a = 1
```

- Vectors:

```
b = [1, 0, 2]
```

```
c = [1 0 2]
```

- Matrix:

```
d = [5, 4, 3; 0, 2, 8]
```

Defining arrays

- You can define an array in terms of other arrays:

`C = [A; B]`

`C =`

12	18	-3
2	5	2
1	1	2
0	-2	6

`D = [C, C]`

`D =`

12	18	-3	12	18	-3
2	5	2	2	5	2
1	1	2	1	1	2
0	-2	6	0	-2	6

Colon (:) operator

- Colon notation can be used to define evenly spaced vectors in the form:

first : last

H = 1:6

H =

1

2

3

4

5

6

- The default spacing is 1. To use a different increment use the form:

first : increment : last

I = 1:2:11

I =

1

3

5

7

9

11

- The numbers now increment by 2

Transpose operator

- The **transpose operator**, an **apostrophe**, changes all of an array's rows to columns and columns to rows.

J = [1 , 3, 7]

J =

1

3

7

J'

ans =

1

3

7

Manipulating Arrays

- The functions `fliplr()` and `flipud()` flip a matrix left-to-right and top-to-bottom, respectively.
 - Experiment with these functions to see how they work.

Useful functions

- `linspace(a,b,c)` – generates a linearly spaced vector from a to b with c numbers. $c = 100$ if c is not specified
- `logspace(a,b,c)` – generates logarithmically spaced vector from 10^a to 10^b of c numbers. $c = 50$ if c is not specified
- `magic(n)` – creates an $n \times n$ array of numbers from 1 to n^2
- `randi([a b],n,m)` – creates an $n \times m$ array of random integers between and including a and b
- `rand(n,m)` – creates an $n \times m$ array of random integers between 0 and 1
- `zeros(n,m)` – creates an $n \times m$ array of zeros
- `ones(n,m)` – creates an $n \times m$ array of ones

Creating arrays of zeros & ones

- Create an array of zeros:

```
E = zeros (3,5)
```

```
E =
```

```
    0    0    0    0    0  
    0    0    0    0    0  
    0    0    0    0    0
```

- Create an array of ones:

```
F = ones (2,3)
```

```
F =
```

```
    1    1    1  
    1    1    1
```

Note: Placing a single number inside either function will return an $n \times n$ array. e.g. **ones (4)** will return a 4×4 array filled with ones.